

Determine whether the series is absolutely convergent, conditionally convergent or divergent.

$$1) \sum_{n=1}^{\infty} \frac{n^2}{2^n}$$

Absolutley Convergent

$$2) \sum_{n=0}^{\infty} \frac{(-10)^n}{n!}$$

Absolutley Convergent

$$3) \sum_{n=1}^{\infty} (-1)^{n-1} \frac{2^n}{n^4}$$

Divergent

$$4) \sum_{n=1}^{\infty} \frac{(-1)^{n+1}}{\sqrt[4]{n}}$$

Conditionally Convergent

$$5) \sum_{n=1}^{\infty} (-1)^n \frac{n}{5+n} \quad \boxed{\text{Divergent}}$$

$$6) \sum_{n=1}^{\infty} (-1)^{n-1} \frac{n}{n^2+1} \quad \boxed{\text{Conditionally Convergent}}$$

$$7) \sum_{n=1}^{\infty} \frac{1}{(2n)!} \quad \boxed{\text{Absolutley Convergent}}$$

$$8) \sum_{n=1}^{\infty} e^{-n} n! \quad \boxed{\text{Divergent}}$$

$$9) \sum_{n=1}^{\infty} \frac{\sin 4n}{4^n}$$

Absolutley Convergent

$$10) \sum_{n=1}^{\infty} (-1)^{n+1} \frac{n^2 2^n}{n!}$$

Absolutley Convergent

$$11) \sum_{n=1}^{\infty} \frac{10^n}{4^{2n+1}(n+1)}$$

Absolutley Convergent

$$12) \sum_{n=2}^{\infty} \frac{(-1)^n}{\ln n}$$

Conditionally Convergent

$$13) \sum_{n=1}^{\infty} \frac{n!}{n^n}$$

Absolutley Convergent

$$14) \sum_{n=1}^{\infty} \frac{\cos(n\pi/3)}{n!}$$

Absolutley Convergent

$$15) \sum_{n=2}^{\infty} \frac{(-1)^n}{(\ln n)^n}$$

Absolutley Convergent

$$16) \sum_{n=1}^{\infty} \frac{n^n}{3^{3n+1}}$$

Divergent

$$17) \sum_{n=2}^{\infty} \frac{(-1)^n}{n \ln n}$$

Conditionally Convergent

$$18) \sum_{n=1}^{\infty} \frac{(-1)^n}{(\arctan n)^n}$$

Absolutley Convergent

$$19) 1 - \frac{1 \cdot 3}{3!} + \frac{1 \cdot 3 \cdot 5}{5!} - \frac{1 \cdot 3 \cdot 5 \cdot 7}{7!} + \dots + (-1)^{n-1} \frac{1 \cdot 3 \cdot 5 \cdot \dots \cdot (2n-1)}{(2n-1)!} + \dots$$

Absolutley Convergent

$$20) \sum_{n=1}^{\infty} \frac{2 \cdot 4 \cdot 6 \cdot \dots \cdot (2n)}{n!}$$

Divergent

21) The terms of a series is defined recursively by the equations:

$$a_1 = 2 \quad a_{n+1} = \frac{5n+1}{4n+3} a_n$$

Determine whether  $\sum a_n$  converges or diverges.

Divergent

22) For which positive integers  $k$  is the following series convergent?

$$\sum_{n=1}^{\infty} \frac{(n!)^2}{(kn)!}$$

$k \geq 2$